

## Problem A

We play the following variant of the NIM game: We have  $n$  piles of matches. The two players alternate. In each turn, the current player takes from a single pile a positive number of matches, but at most  $\lceil s/2 \rceil$ , where  $s$  is the size of the pile. The player who cannot make a valid move loses.

### Input and output

The first line contains a single integer  $n \leq 10$ , the number of piles. The  $i$ -th of the  $n$  following lines contains a single integer  $s_i$  ( $1 \leq s_i \leq 10^6$ ), the number of matches on the  $i$ -th pile. You are guaranteed that the first player to move has a winning strategy from the described position.

On each line of the output, write out two positive integers  $a$  ( $1 \leq a \leq n$ ) and  $t$ , describing a valid move of the first player from the current position: Take  $t$  matches from the  $a$ -th pile. In their move, the second player always takes one match from the non-empty pile with the smallest possible number; however, you are not allowed to take advantage of this: You must make sure that after each of your moves, the second player does not have any winning strategy.

### Example

Input:

```
3
1
2
3
```

Output:

```
3 2
3 1
2 1
```